

## Bull's Authentication Protocol

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**Summary:** This protocol, described in [BO97], aims at establishing fresh session keys between a fixed number of participants (for instance 3) and a server: one key for each pair of agents adjacent in the chain.

### Protocol specification (in common syntax)

```

A, B, C, S :      principal
Kab, Kbc :      fresh symkey
Na, Nb, Nc :      fresh number
Kas, Kbs, Kcs :  symkey
h :              message, symkey -> message

A computes Xa = h((A,B,Na),Kas), (A,B,Na)
1.   A -> B : Xa

B computes Xb = h((B,C,Nb,Xa),Kbs), (B,C,Nb,Xa)
2.   B -> C : Xb

C computes Xc = h((C,S,Nc,Xb),Kcs), (C,S,Nc,Xb)
3.   C -> S : Xc

4.   S -> C : A, B, Kab xor h(Na,Kas), {A,B,Na}Kab,
               B, A, Kab xor h(Nb,Kbs), {B,A,Nb}Kab,
               B, C, Kbc xor h(Nb,Kbs), {B,C,Nb}Kbc,
               C, B, Kbc xor h(Nc,Kcs), {C,B,Nc}Kbc
5.   C -> B : A, B, Kab xor h(Na,Kas), {A,B,Na}Kab,
               B, A, Kab xor h(Nb,Kbs), {B,A,Nb}Kab,
               B, C, Kbc xor h(Nb,Kbs), {B,C,Nb}Kbc
6.   B -> A : A, B, Kab xor h(Na,Kas), {A,B,Na}Kab

```

### Description of the protocol rules

The protocol is initiated by A and then goes through B and C before reaching S. At the end, new session keys Kab and Kbc are established. The properties of exclusive or are:

$$x \text{ xor } (y \text{ xor } z) = (x \text{ xor } y) \text{ xor } z \quad (\text{E1})$$

$$x \text{ xor } y = y \text{ xor } x \quad (\text{E2})$$

$$x \text{ xor } 0 = x \quad (\text{E3})$$

$$x \text{ xor } x = 0 \quad (\text{E4})$$

## Requirements

The protocol must guaranty the secrecy of  $K_{xy}$ . Each key  $K_{xy}$  should be known to exactly  $x$  and  $y$  (and also  $S$ ), even if some nodes other than  $x$  and  $y$  are malicious.

## References

[BO97]

## Claimed attacks

This protocol is subject to an attack [RS98] that can be mounted by a dishonest participant. For example, assume that  $C$  is a malicious agent. He can intercept  $K_{ab} \text{ xor } h(N_b, K_{bs})$  and  $K_{bc} \text{ xor } h(N_b, K_{bs})$  sent by  $S$  at step 4, and since  $C$  knows the session key  $K_{bc}$ , he can compute  $K_{bc} \text{ xor } K_{ab} \text{ xor } h(N_b, K_{bs}) \text{ xor } K_{bc} \text{ xor } h(N_b, K_{bs})$ . Since this term is actually equal to  $K_{ab}$ , the agent  $C$  learns a session key that should be shared only by  $A$  and  $B$ .

## Citations

- [BO97] J. Bull and D. J. Otway. The authentication protocol. Technical Report DRA/CIS3/PROJ/CORBA/SC/1/CSM/436-04/03, Defence Research Agency, 1997.
- [RS98] P. Y. A. Ryan and S. A. Schneider. An attack on a recursive authentication protocol: A cautionary tale. *Information Processing Letters*, 65(1):7–10, 1998.